Merging regional climate models and remote sensing datasets to estimate mountain snow water equivalent: Proof-of concept in the Tuolumne watershed

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## INTRODUCTION

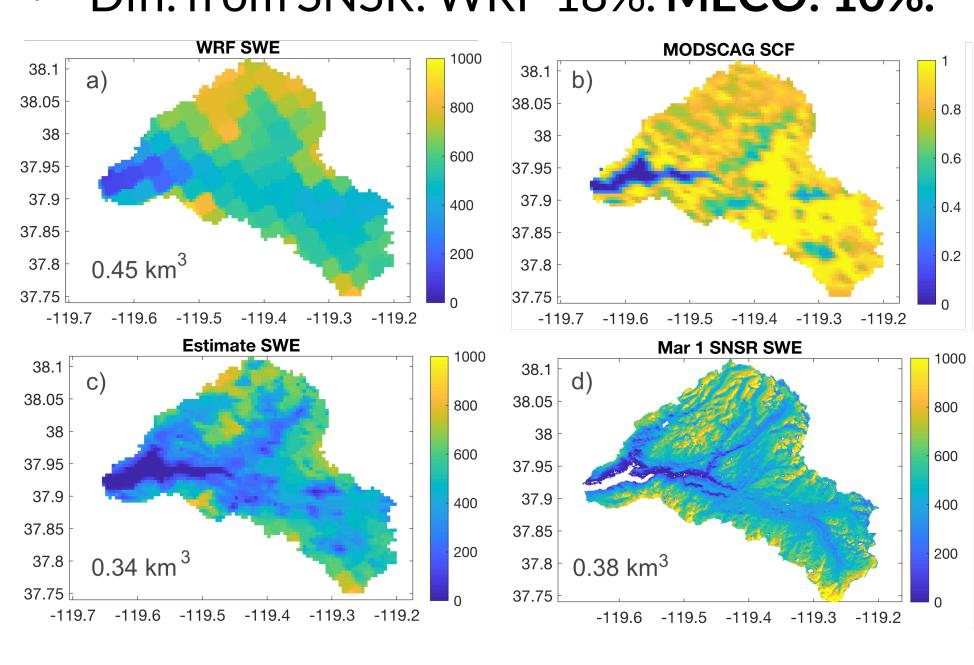
- No viable strategy for direct observation of global mountain snow
- Mountain regional climate model (RCM)
   accuracy: snowfall > energy balance

#### **METHODS**

- Mass-and-energy constrained optimization (MECO) estimates daily precipitation, SWE, snow cover fraction (SCF) and melt at 500 m resolution.
- 2. MECO minimizes difference between estimates, WRF and MODIS SCF; constrain melt based on energy balance using CERES Syn and WRF
- 3. Test: Tuolomne, Sierra Nevada (775 km²).

# **RESULTS**

- In situ snow pillows and courses: RMSE
   WRF 99 mm. MECO: 48 mm
- Diff. from SNSR: WRF 18%. MECO: 10%.



#### **DISCUSSION**

- ~4 km RCMs constrained by energy balance could be deployed globally
- This would produce a new estimate of global mountain SWE at 500 m resolution
- Caveat: this algorithm still needs to be adapted to treat forest effects

Combining regional climate models and satellite measurements improves

SWE accuracy and spatial resolution



### PROBLEM FORMULATION

We used the HPC language Julia to solve the following mass-and-energy constrained optimization problem:

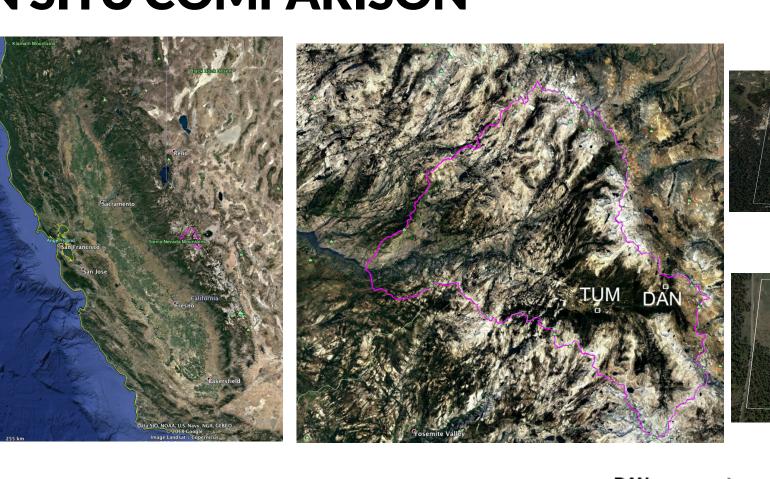
$$\sum \left(\frac{x_i - \bar{x_i}}{\sigma_i}\right)^2$$

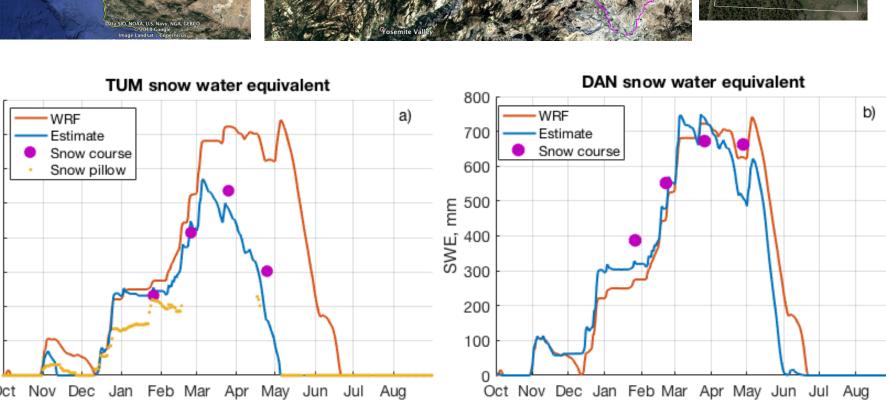
subject to:  $\frac{dSWE}{dt} = P -$ 

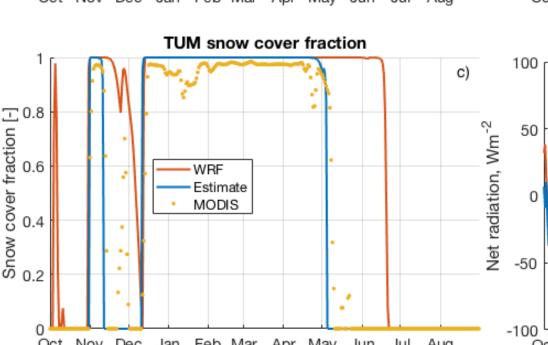
 $M = \left[ R_s^{\downarrow} (1 - \alpha) + R_l^{\downarrow} - R_l^{\uparrow} - H - LE \right] SCF$ 

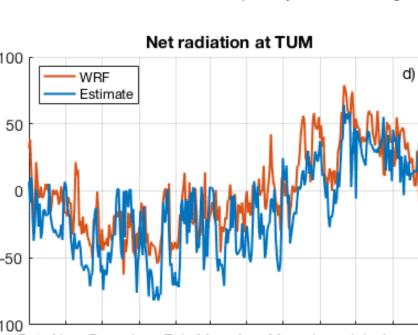
where  $R_s^{\downarrow}$ ,  $R_l^{\downarrow}$ , and  $R_l^{\uparrow}$  are the (surface) downwelling shortwave, upwelling longwave and downwelling longwave respectively,  $\alpha$  is albedo,  $\rho$  is water density, L is latent heat of vaporization, LE is latent heat flux, H is sensible heat flux, P is precipitation, and Q is runoff; the vector X represents the MECO estimate of SWE, SCF, P,  $R_l^{\uparrow}$ , H, and E,  $\sigma$  represents uncertainty, and the overline denotes either WRF or observed estimate, respectively. CERES  $R_s^{\downarrow}$  and  $R_l^{\downarrow}$  and WRF  $\alpha$  are taken as given. Forest impacts will be considered in future versions.

## IN SITU COMPARISON









# **DATASETS USED**

- WRFv4 with Noah-MP model simulations: 3 km resolution, forced by NARR at boundary conditions
- SCF: MODIS Snow Covered Area and Grain Size (MODSCAG)
- $R_S^{\downarrow}$  and  $R_I^{\downarrow}$ : CERES Synoptic: hourly, 1° resolution
- In situ data: the CA DWR snow surveys and snow pillows, after QA/QC by UW
- 90 m SWE estimates from UCLA Margulis group Sierra Nevada Snow Reanalysis (SNSR)

Details, references and links in the paper draft



